

SECTION 1.2 QUADRATIC FUNCTIONS

$$y = a(x-p)^2 + q$$

i) Completing the square ii) Graphing y=a(x-p)2+q iii) Using a,p,q to find vertex, opens up, down, congruency factor, iv) Deriving and using the quadratic function

I) GRAPHING QF: $y = a(x-p)^2 + q$

 ${\rm o}$ A Quadratic function in standard form is much

- Using constants "a","p", & "q", we can find
 - Vertex:Domain:

Range:

Axis of Symmetry:

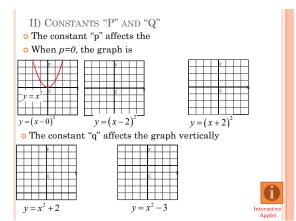
- Y intercept:
- X-intercept:

EX: For each of following equations, find the constants "a", "p", "q", vertex, and A.O.S.

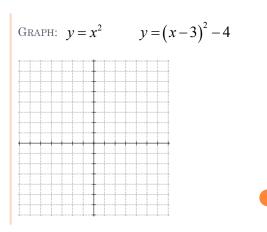
i)
$$y = (x-3)^2 + 4$$

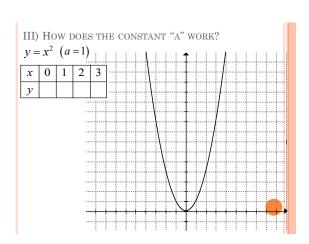
ii) $y = \frac{-1}{2}(x+4)^2 - 11$

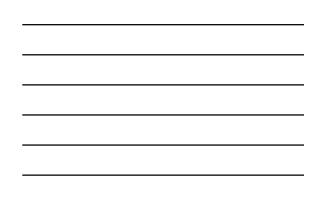
 $iii) y = 3(2x-4)^2$



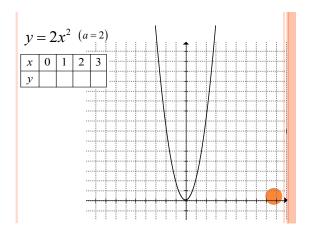














IV) CONSTANT "A" (CONGRUENCY FACTOR)

- The constant "a" determines the (congruency) width of the parabola and which way it opens
 - If "a" is positive
 - If 'a" is negative
 - If "a" is big
 - If "a" is small
- Congruency Factor:
 - The constant "a" can be used to

